Update propagation through security views

Sławek Staworko, Iovka Boneva, Benoît Groz

Université Lille 1, Mostrare project, INRIA

March 22, 2010

(Université Lille 1, Mostrare project, INRIA) Update propagation through security views

Outline

Updates and (security) Views

2 View Inversion



Views and Updates

Database views:

- facilitate access to data
- remove irrelevant data
- restructure the presentation of the data

Database security views:

hide sensitive data

View update propagation

- document t, view V = A(t),
- view update by the user: $V \mapsto V'$
- find a propagation: $t \xrightarrow{?} t'$

The update propagation problem



Find an update $t \mapsto t'$ (a propagation of $V \mapsto V'$) such that:

- $t \mapsto t'$ is side-effect free: A(t') = V'
- $t \mapsto t'$ is schema compliant: $t' \models D$;

The update propagation problem



Find an update $t \mapsto t'$ (a propagation of $V \mapsto V'$) such that:

- $t \mapsto t'$ is side-effect free: A(t') = V'
- $t \mapsto t'$ is schema compliant: $t' \models D$;
- t → t' has constant complement [Bancilhon, Spyratos'81] : no modification of the hidden parts

The update propagation problem



Find an update $t \mapsto t'$ (a propagation of $V \mapsto V'$) such that:

- $t \mapsto t'$ is side-effect free: A(t') = V'
- $t \mapsto t'$ is schema compliant: $t' \models D$;
- $t \mapsto t'$ is optimal: minimal modification of the hidden parts.

- XML documents: unranked, ordered trees, with node identifiers.
- Schema: DTD
- View given by an annotation[Farkas et al '02, Fan et al'04.]
 - $A(a, b) = 0 \implies$ the nodes labeled b under a node a are not visible
 - $A(a,b) = 1 \implies$ the nodes labeled b under a visible node a are visible

Upward closed visibility of nodes: the descendants of a hidden node are hidden as well (regardless of their annotation)

- XML documents: unranked, ordered trees, with node identifiers.
- Schema: DTD
- View given by an annotation



$$\begin{array}{ll} A(projects, stable) &= A(projects, dev) &= A(stable, src) &= \ldots = \mathbb{1} \\ A(dev, src) &= A(stable, bin) &= \mathbb{0} \end{array}$$

- XML documents: unranked, ordered trees, with node identifiers.
- Schema: DTD
- View given by an annotation



$$\begin{array}{ll} A(projects, stable) &= A(projects, dev) &= A(stable, src) &= \ldots = \mathbb{1} \\ A(dev, src) &= A(stable, bin) &= \mathbb{0} \end{array}$$

- XML documents: unranked, ordered trees, with node identifiers.
- Schema: DTD
- View given by an annotation

and updates ?

Update

Input tree with nodes labelled:

- Del: nodes to be deleted
- Ins: nodes to be inserted

- * Deletion is recursive: delete whole subtrees
- * Insertion of a subtree, not of internal nodes



Update

Input tree with nodes labelled:

- Del: nodes to be deleted
- Ins: nodes to be inserted

- * Deletion is recursive: delete whole subtrees
- * Insertion of a subtree, not of internal nodes



Update

Input tree with nodes labelled:

- Del: nodes to be deleted
- Ins: nodes to be inserted

- * Deletion is recursive: delete whole subtrees
- * Insertion of a subtree, not of internal nodes



Update

Input tree with nodes labelled:

- Del: nodes to be deleted
- Ins: nodes to be inserted

- * Deletion is recursive: delete whole subtrees
- * Insertion of a subtree, not of internal nodes



\Rightarrow captures XQuery Update snapshot semantics

- XML documents: unranked, ordered trees, with node identifiers.
- Schema: DTD
- View given by an annotation.
- Updates are given as editing scripts: the alignment of the input and output document on their common nodes.

Nice properties:

- One can compute a DTD D_v that captures the set of all view documents. Hence the user will only apply view updates that have a propagation
- The constraints are local in a DTD: the modification of a node affects only its siblings and their descendants.

Identifiers, a choice of some consequence



View Inversion



Computing the view inverse



Computing the view inverse



Computing the view inverse

Lemma

 H_n captures all possible inversions for the sequence of children of the node n as paths from an initial to a final state.



Computing the update propagation

(As for inverse), for every node *n* common to t_s and $Out(S_v)$, construct a graph G_n representing the set of all possible sequences of children of *n* in all $Out(S_s)$ for all update propagation S_s .

 G_n has to handle insertion and deletion of nodes.



Computing the update propagation



Computing the update propagation

Lemma

For each node n, the graph G_n contains all possible update propagations of S_s restricted to the sequence of children of n as paths from an initial to a final node in the graph.

Theorem

The set of graphs G_n for all node n common to t_s and $Out(S_v)$ captures all side-effect free and schema-compliant update propagations of S_v .

As for inversion, the update propagation script S_s is computed bottom-up on the structure of t. Inversion is used when inserting a subtree.

Computing an optimal update propagation

For all node n, construct a graph G_n^* which contains only the optimal update propagations from G_n . The construction is bottom-up.

- Associate a cost to each edge in G_n :
 - *delete* : the size of the deleted tree;
 - invisible insert : the size of the minimal tree with the corresponding root label;
 - visible insert : the size of the minimal inversion tree;
 - invisible read : 0;
 - visible read : the sum of the costs of the optimal propagation graphs for the children, computed recursively.
- **2** Remove from G_n all non-optimal paths.

Complexity and remarks

• The size of a minimal propagation may be exponential in size of D_s (the minimal tree satisfying a DTD can have an exponential size).

$$r \to a_n, \quad a_i \to a_{i-1}a_{i-1}, \quad a_0 \to \epsilon$$

- If for each label *a*, the tree to be inserted whenever *a* is (invisibly) inserted is input of the problem, then the optimal propagation is of polynomial size.
- The model can be extended with some simple, local preferences for choosing an optimal propagation (among all possible ones).

Future work

- ⊳ generalize views, schema ...
- ⊳ generalize updates
- \triangleright add constraints to the updates (node typing ...)
- \triangleright propagating update programs instead of editing script ($V \mapsto V'$)